Robotics

Control I

Admin

quiz

any questions about project or otherwise?

Control

- Now we have robot parts
 - sensors

- actuators
- now need to make it do stuff
- need control
- simplest control
 - feedback

Feedback

Feedback control

- getting robot to achieve/maintain goal by comparing current state to goal state.
- Feedback:
 - information "fed back" or input into robot
 - sensor data
- goal state:
 - as with AI this is the desired state

Goals

- Achievement Goals:
 - robot has done it, its done
- Maintenance goals:

- as long as goal is being met, we are on track
- your current lab?

Error

• Error

- according to control theory
- difference from desired state to current state
- binary error:
 - in goal state
 - out of goal state
 - useful?

Error II

- Direction of error
 - current lab, might care about direction of error
 - off to left or off to right
- Magnitude of error

- sometimes get magnitude info too
 - hot and cold game example
 - sensor readings of walls.

Wall following robot example

- feed back control
 - task: follow right hand wall at approx 6 inches from wall
 - discuss

Oscillation

- Depending on the magnitude of the correction
 - can oscillate a little or a lot
 - want to decrease this.

Proportional control

- Simple feedback control
 - 0=K_pi
 - where

- o: output
- i: is input (error)
- K_p: is a proportionality constant
- eg: wall follower
 - error positive or negative
 - want to correct
- K_pis usually arrived at by trial and error
- Ahem that is "empirical testing"

Damping

- proportional control still has oscillations
 - Damping:
 - systematically decreasing oscillations
 - with proportional control depends on picking a good proportionality constant.

Derivative control

- next derivative control attempts to compensate for momentum (aka predict the future)
 - momentum = mass*velocity
 - as system gets closer to goal subtract amount proportional to velocity
 - $o = K_d (di/dt)$
 - di = change in error
 - dt = change in time
 - K_d = proportionality constant.
- Not used by itself
 - Susceptible to error spikes

PD Control

- proportional Derivative control
 - $o = K_p i + K_d (di/dt)$

- sum of two gives better control
 - industrial process control
- According to industrial sites, often used for servo control

integral control

integral control

- system keeps track of (sums up) own errors
- tries to minimize steady state (repeated) errors
- $o = K_f \int (i(t)^*dt)$
- i(t) error at time t
- dt change in time since last
- K_f: new constant

So what does that mean

We are summing up the the error for all time.

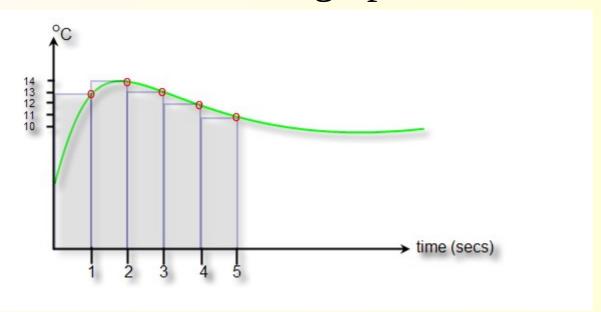


Image credit
https://www.csimn.com/C
SI_pages/PIDforDummie
s.html

- While this curve shows positive error, more likely sometimes error will be negative
- Allows keeping track of a long term history in a single variable.

Implementing Integral Control

Implementation is actually much easier than it looks

- Assume a variable int_error that persists from one loop run to the other.
- int_error = int_error + current_error*time_since_last_read

PI Controller

- PI controllers are really common in industrial applications
 - Uses instantaneous error P
 - Historical error I

- $-o = K_p i + K_f \int i(t) * dt$
- Fantastic quiz2 question: give me the python code for a pi controller.

PID control

- sum up proportional, integral, and derivative control
 - add accuracy

- $o = K_p i + K_f \int i(t) dt + K_d (di/dt)$
- of course you might have to tweak the gains
 - the K terms

feedback control

 using input/error/ world state "fed back" into the robot to help robot accomplish goal

feed forward control

- in this, no sense data used
- just world models
- good for?

Reading

- For basic control theory for non-engineers
 - https://www.csimn.com/CSI_pages/PIDforDummies.h tml
 - An example PID controller in python

- http://code.activestate.com/recipes/577231-discrete-pidcontroller/
- Note this code seems to assume that all delta-T values are 1.
- Great in a perfect world